

#### **Electro-magnetically induced transparency of structured light**

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## Outline



- 3D visualisation of structured light
- Trapping in the dark
- 2. Structured EIT
  - Experiments: first data
  - Theory: closing the loop



# Why structured light?

- Efficient data encoding much more than 2 degrees of freedom
  - Quantum images



Pixel basis system

• OAM modes – added convenience and interest





# Orbital angular momentum

- Light with twisted phase fronts:  $E(r, \varphi) \propto \exp(im\varphi)$
- Generation with spatial light modulators: liquid crystal devices that control the local phase delay pixel by pixel







Laser below saturation  $\rightarrow$  fluorescence proportional to light intensity.  $R_{scatt} \propto \frac{\Gamma}{2} \frac{I/I_{sat}}{1+I/I_{sat}} + 4(\delta/\Gamma)^2$ 

3D reconstruction from fluorescence

- Record pattern from the side, rotating the camera around the light structure. Or rotate beam.
- Full 3 D tomographic reconstruction.

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#### 3D reconstruction

- Non-invasive
- High resolution in 3D (camera limited, i.e. 200 x 200 x 720 points)
- Fast
- Can be completely automated
- Possible to display using 3D technology

N.Radwell et al, Optics Express 21, 22215 (2013)

# Structured light in atom optics

- Trapping and guiding in designed intensity profiles
  - Van Enk (1994), Franke-Arnold (2007), Andrews (2011), Ruseckas (2011), Volke-Sepúlveda (2011)
  - Pruvost (2014), Franke-Arnold (2013), ...
- Quantised motion of BECs

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- Dalibard (2000), Phillips (2007, 2010) , ...
- Changing the selection rules
  - Tabosa (2003, 2009), Kozuma (2006, 2009, 2011)
  - Allen, Babiker (1996), Afanasev (2014), ...
- Imprinting structured phase and amplitude onto atoms
  - Davidson (2007), Lett (2008), Giacobino (2014), ...
  - Structured EIT









# Trapping in the dark

- We have developed a holographically shaped dark SPOT atom trap.
- The dark SPOT geometry allows to shelter the atoms in the core of the trap from re-radiation forces, allowing atoms to accumulate at higher densities.







Trapping in the dark

## Atoms reloaded



### <sup>Jniversity</sup> Making atoms see the (complex) light

- Interferometer within an atom: Electronic transitions that connect atomic levels via multiple excitation paths become dependent on the optical phase.
  - "Phase-dependent interaction in a four-level atomic configuration" Morigi, Franke-Arnold and Oppo, Phys Rev A **66**, 053409 (2002)

#### Four wave mixing in a diamond system

- Phase-coherence  $\rightarrow$  Conservation of OAM:  $\ell_{780} + \ell_{776} = \ell_{5233}(+\ell_{420})$
- "Trans-spectral OAM transfer..." Phys. Rev. Lett. 108, 243601 (2012)



### Making atoms see the (complex) light

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#### Reminder EIT

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- Atoms usually generate a 'share' a passing probe beam.
- An additional light between leads to interference between amplitudes.



#### **Can light with a phase pattern generate structured EIT?**

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# OAM controlled EIT

- Q-plates can convert spin to orbital angular momentum.
- Q-plates can "entangle" optical OAM and polarisation.



Transfer phase structure via polarisation to atomic coherence



# Intensity profiles

The  $\sigma$ + and  $\sigma$ - light components don't interfere, and the light intensity has the typical doughnut structure.

The atoms are driven into spatially dependent dark state and become transparent for one linear polarisation which is seen in the transmitted intensity profile.



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# Intensity profiles

Instead, input  $\sigma$ + light is converted into  $\sigma$ - light with the phase profile and the same intensity structure.

The atomic population is optically pumped into a stretch state, making the atoms transparent for the probe light.



## OAM dependent dark states

"entangled" light field

$$E_{0}\hat{x} \rightarrow \frac{E_{0}}{\sqrt{2}} \left( \hat{\sigma}_{-} \mathbf{e}^{il\varphi} + \hat{\sigma}_{+} \mathbf{e}^{-il\varphi} \right)$$

Dipole interaction

 $H_{D} = \hbar \Omega |\psi_{+}\rangle \langle e| + h.c.$ 

$$H_{D} = \frac{\Omega}{\sqrt{2}} \left( e^{il\varphi} |g_{+1}\rangle \langle e| + e^{-il\varphi} |g_{+1}\rangle \langle e| \right) + \text{h.c.}$$



$$\hbar\Omega |g_0\rangle |\psi_{NC}\rangle = \frac{1}{\sqrt{2}} \left( e^{-il\phi} |g_{-1}\rangle - e^{il\phi} |g_{+1}\rangle \right) |\psi_C\rangle = \frac{1}{\sqrt{2}} \left( e^{-il\phi} |g_{-1}\rangle + e^{il\phi} |g_{+1}\rangle \right)$$



#### Different geometries



InputAbsorptionPolar plotprofileprofile



# Changing orientation

Rotating a  $\lambda/2$  plate before the q-plate changes the orientation of the polarisation pattern and hence the transmission profile.



**Rotating Absorption Pattern** 



# Changing balance of $\sigma$ + and $\sigma$ -

Rotating a  $\lambda/4$  plate before the q-plate changes the mode decomposition and hence the contrast of the absorption.



#### Modified contrast of transmission pattern



Polarisation

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# Adding spin angular momentum

A  $\lambda/4$  plate **after** the q-plate adds spin angular momentum and changes the symmetry of the transmission pattern.



Polarisation

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# Closing the loop

#### • Add small B field:





- First measurements of structured EIT
- Holographically shaped high-density trap
  - N. Radwell et al, Phys. Rev. A 88, 043409 (2013)

#### Frequency translation of optical OAM

• G. Walker et al., Phys. Rev. Lett. 108, 243601 (2012)

#### 3D beam reconstruction

• N. Radwell et al., Optics Express 21, 22215 (2013)



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Summary







